

Name: _____

Date: _____

Notes

Algebra Section 5.4

Pages 311-316

Goal: "You will write equations in standard form"



STANDARD FORM!

A is always the _____ of _____. B is always the _____ of _____.

C is always the _____.

You always want A to be _____ and not a _____ or _____.

1. Write equivalent equations in standard form:

Example:

$$2x - 6y = 4$$

You can divide both sides by the same common factor.

You can multiply both sides by the same number.

All three of these equations are in _____ and all of them are _____.

Try These:

1) $x - y = 3$

2) $x + 4y = 3$

You may need to multiply or divide both sides so that A is not negative.

Example:

$$-2x + 3y = 8$$

A (the coefficient of x is a negative)

Multiply both sides of the equation by -1

Try These:

$$-3x + 2y = -4$$

$$-x - 4y = 2$$

$$-2x - 3y = -5$$

You may need to multiply or divide both sides so that A is not a fraction.

Example:

$$\frac{1}{3}x + 2y = 1$$

A (the coefficient of x is a fraction)

Multiply both sides of the equation by 3

(the denominator of A)

Try These:

$$\frac{1}{4}x + y = -2$$

$$\frac{2}{5}x - 3y = 3$$

$$\frac{2}{3}x - 5y = -1$$

You may need to multiply or divide both sides so that A is not a decimal.

Example:

$$0.6x + 3y = 4$$

A (the coefficient of x is a decimal)

Multiply both sides of the equation by 10

(to clear the decimal)

Try These:

$$0.4x + y = -2$$

$$1.3x - 2y = 1$$

$$0.55x - 2y = -3$$

You may need to multiply or divide both sides so that A is not a negative and a fraction/decimal.

Example:

$$-\frac{1}{3}x + 3y = -1$$

A (the coefficient of x is a fraction and negative)

Multiply both sides of the equation by -3

(to get rid of the fraction and negative)

Try These:

$$-\frac{3}{4}x - 2y = -3$$

$$-\frac{1}{5}x - y = 5$$

$$-\frac{2}{3}x - 2y = -2$$

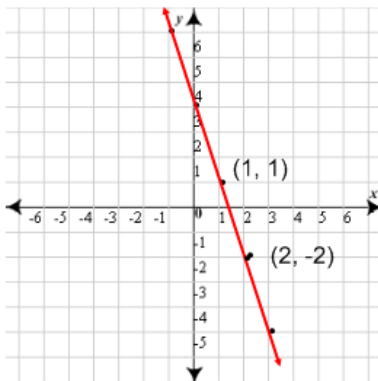
$$-0.3x + 2y = -4$$

$$-2.4x - y = 3$$

$$-0.22x + 5y = 1$$

Write equations in standard form with given information.

Ex:



Find the _____

Find the _____

Write the equation using _____ and _____

Rewrite the equation in _____.

Try These: (Make sure A is a positive whole number)

1) Passes through (3, -1) (2, -3)

2) Passes through (2, 2) (4, -2)

Complete an equation in standard form

For each equation use the information to find the missing coefficient. Then write the equation in standard form.

Ex: $Ax + 3y = 2$, passes through the point (-1, 0)

$x = \underline{\hspace{2cm}}$ $y = \underline{\hspace{2cm}}$

Plug them in and solve for A.

Write the equation in standard form.

Try These:

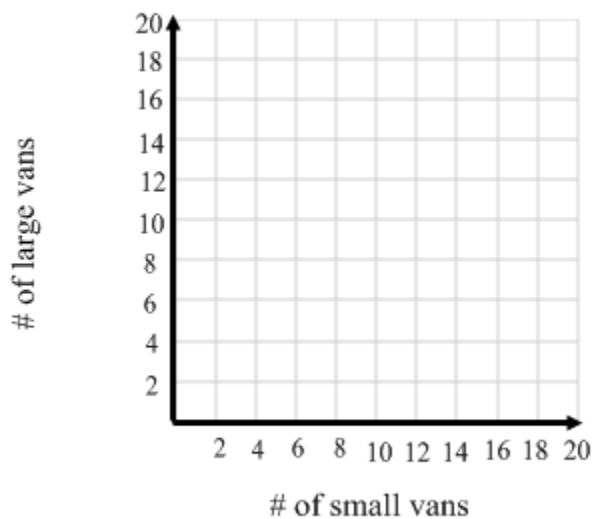
1) $-4x + By = 7$, passes through the point $(-1, 1)$

2) $Ax + 4y = 6$, passes through the point $(2, 0)$

3) $Ax + y = -3$, passes through the point $(2, 11)$

Ex: Your class is taking a trip to the public library. You can travel in small and large vans. A small van holds 8 people and a large van holds 12 people. One possible way your class could get there is to fill 15 small vans and 2 large vans.

- Write an equation to model all of the possible combinations of small and large vans your class could take.
- Graph the equation.
- Use your graph to find more possible combinations of vans.



Ex: At a flea-market t-shirts cost \$4.50 and shorts cost \$6. You have enough money that if you wanted to you could buy exactly 12 t-shirts and 9 pairs of shorts.

- Write an equation to model all of the possible combinations of t-shirts and shorts that you can buy.
- Graph the equation.
- List the possible combinations of t-shirts and shorts you can buy.

